The spectral shape of the fluxes of electrons and positrons

and the propagation of cosmic rays in the Galaxy

Paolo Lipari INFN Roma Sapienza

Workshop: WASDHA201

Air Shower Detection at High Altitude

Moscow september 18th 2018

Measurements of at the Earth:

Cosmic Rays

$$\phi_p(E,\Omega)$$
, $\phi_{\text{He}}(E,\Omega)$, ..., $\phi_{\{A,Z\}}(E,\Omega)$

protons+ nuclei

$$\phi_{e^-}(E,\Omega)$$

electrons

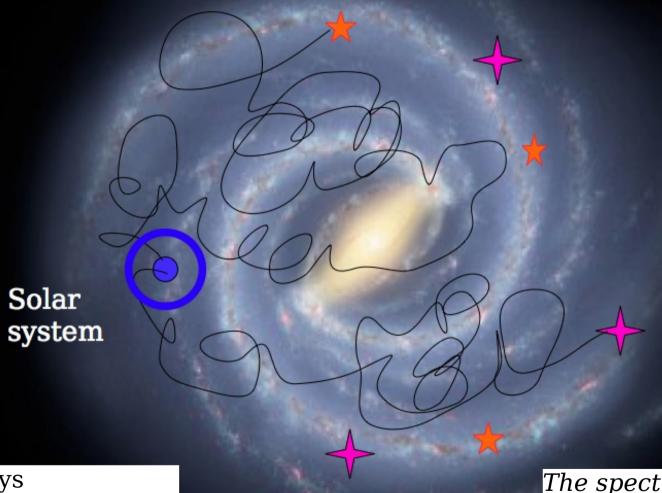
$$\phi_{e^+}(E,\Omega)$$
 $\phi_{\overline{p}}(E,\Omega)$

$$\phi_{\overline{p}}(E,\Omega)$$

anti-particles

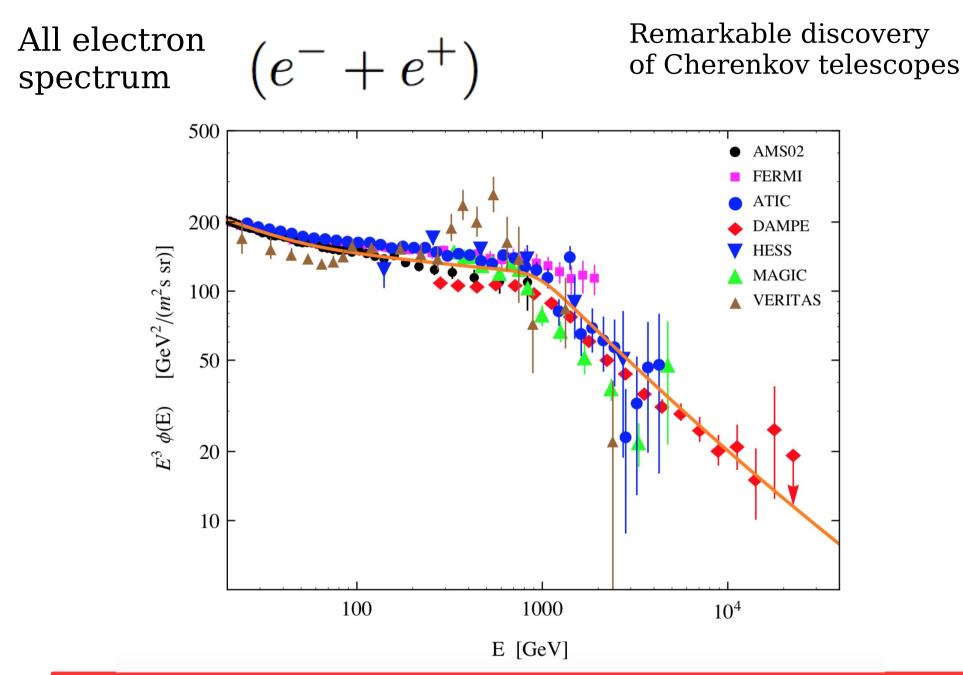
MILKY WAY

High energy sources

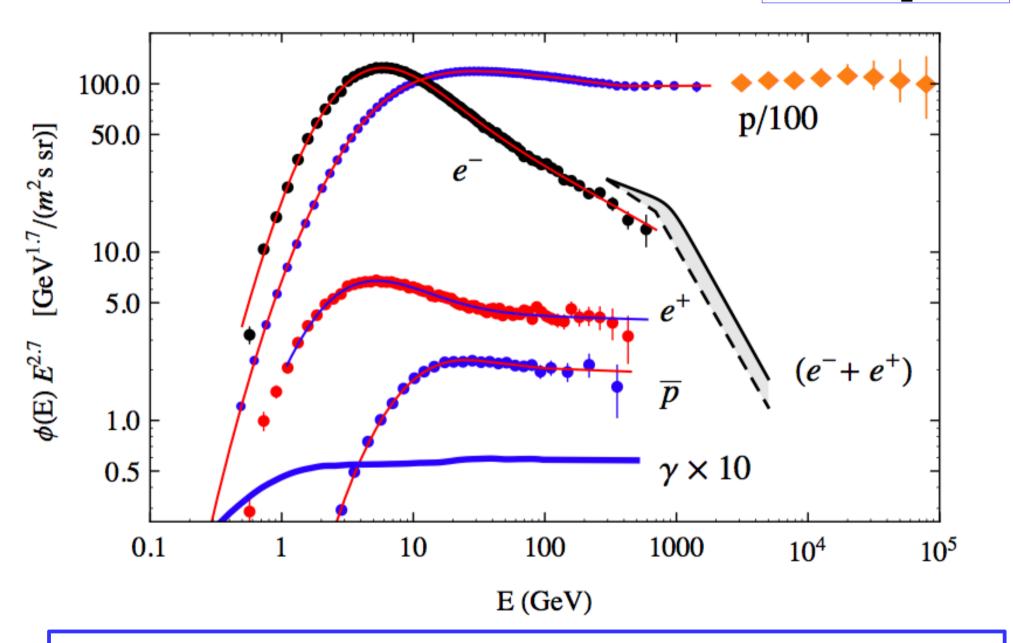


Cosmic Rays
measure a space
and time average
of the source emissions,
distorted by propagation

The spectra carry very valuable information about the CR sources and the properties of the Milky Way

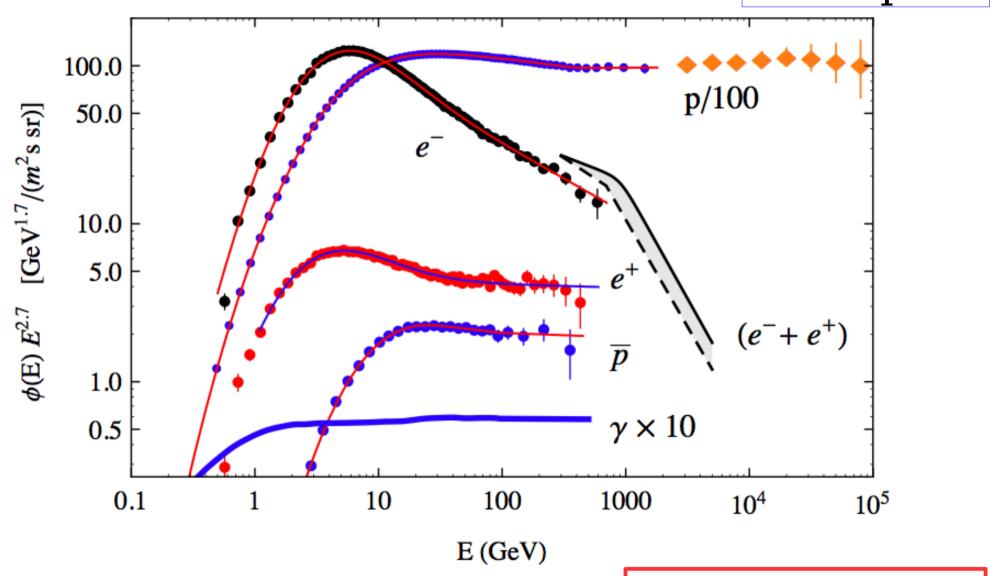


Understanding this spectral structure is *Crucial*



angle averaged diffuse Galactic gamma ray flux (Fermi)

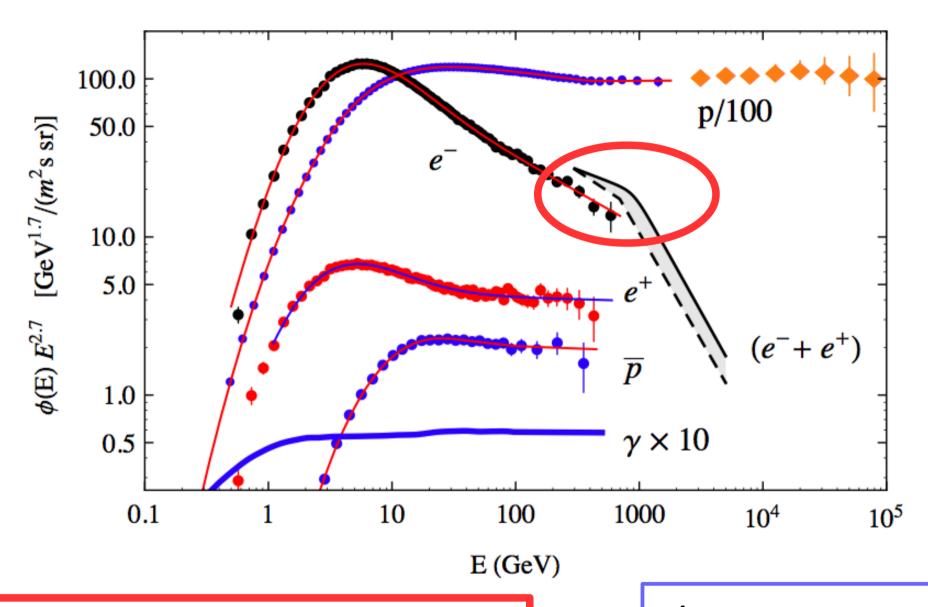
CREAM **p** data



striking results

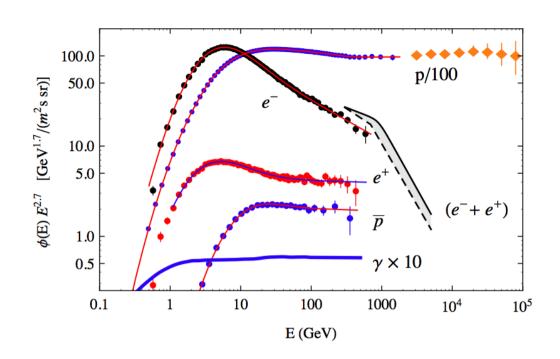
Soft electron spectrum

4 spectra have approximately the same slope



Spectral feature (need explanation)

4 spectra have approximately the same slope

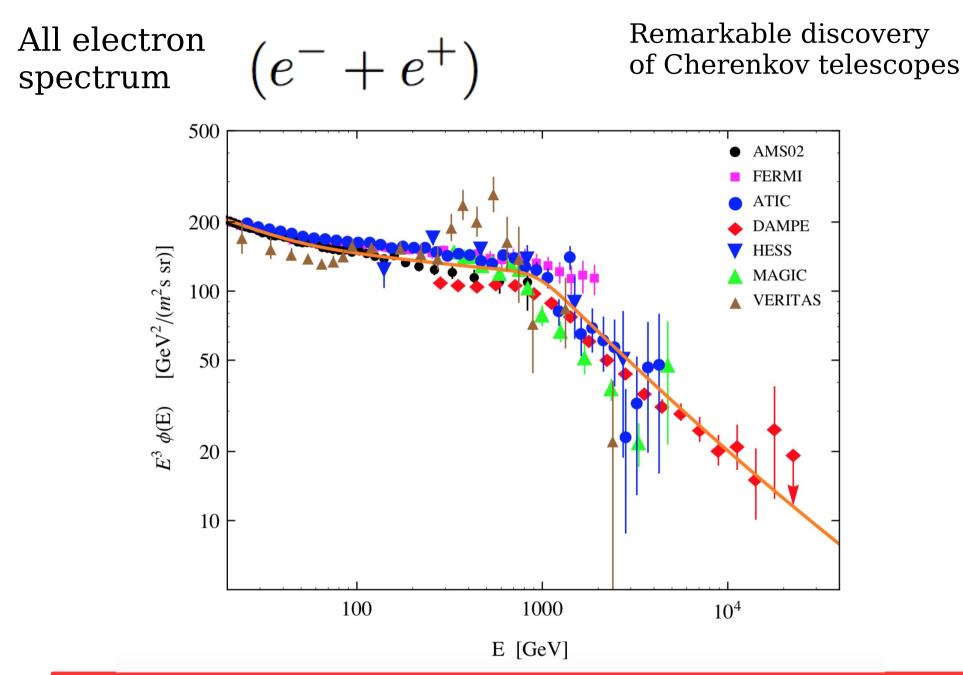


"striking"
qualitative features
that "call out"
for an explanation

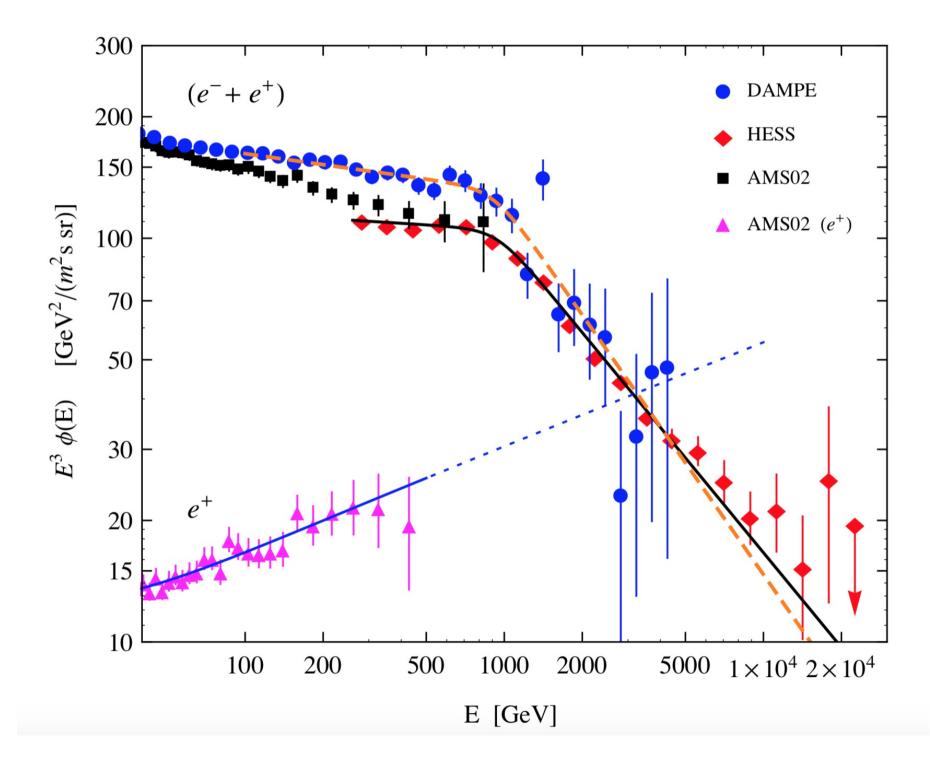
4 spectra have approximately the same slope

[A] Proton and electron spectra are very different.
 [a1] much smaller e- flux
 [a2] much softer electron flux
 [a3] evident "break" at 1 TeV in the
 (e⁺ + e⁻) spectrum

[B] *positron* and *antiproton* for (E> 30 GeV) have the same power law behavior and differ by a factor 2 (of order unity)



Understanding this spectral structure is *Crucial*



Energy Loss

main mechanisms

Synchrotron radiation
Compton scattering
strongly depend on the particle mass
quadratic in energy

$$-\frac{dE}{dt} \propto \frac{q^4}{m^4} E^2$$

$$T_{\rm loss}(E) = \frac{E}{|dE/dt|} \simeq \frac{1}{bE}$$

Characteristic time for energy loss

$$T_{\rm loss}(E) pprox rac{620}{E_{
m GeV}} \ {
m Myr}$$

Energy losses can be the main "sink" for e+/e- CR

or be negligible

$$pprox \frac{0.62}{E_{\mathrm{TeV}}} \mathrm{Myr}$$

depending on the residence time of the particles in the Galaxy

Rate of Energy Loss depends on the energy density in magnetic field and radiation (and therefore is a function of position)

$$T_{\rm loss}(E) = \frac{E}{|dE/dt|} \simeq \frac{3 m_e^2}{4 c \sigma_{\rm Th} \langle \rho_B + \rho_{\gamma}^*(E) \rangle E}$$

$$\simeq 621.6 \left(\frac{\text{GeV}}{E}\right) \left(\frac{0.5 \text{ eV/cm}^3}{\rho}\right) \text{ Myr}$$

$$\rho_b = \frac{B^2}{8\pi} \simeq 0.22 \left(\frac{B}{3\,\mu\text{G}}\right)^2 \frac{\text{eV}}{\text{cm}^3}$$

Average value for the particle confinement volume

$$\rho_{\rm CMBR} \simeq 0.26 \frac{\rm eV}{\rm cm^3}$$

Formation of the Galactic Cosmic Ray spectra (for each particle type) three elements are of fundamental importance:

1. Source spectrum

2. Magnetic confinement (CR residence (escape) time)

3. Energy losses (synchrotron + Compton scattering +)

[4. hadronic + other interactions]

Formation of the Cosmic Rays spectra in the Galaxy:

Simplest Model:

LEAKY BOX

[No space variables. The Galaxy is considered as one single homogeneous volume (or point)]

Equation that describe the CR Galactic population

$$\frac{\partial n(E,t)}{\partial t} = q(E,t) - \frac{n(E,t)}{T_{\rm esc}(E)} + \frac{\partial}{\partial E} \left[\beta(E) \ n(E,t) \right]$$

Three functions of energy/rigidity define completely the model for one particle type

$$q(E)$$
:

Source spectrum (stationary)

$$T_{\rm esc}(E)$$

Escape time

$$T_{
m esc}(E)$$

$$\beta(E) = -\frac{dE}{dt}$$

Rate of energy loss $T_{loss}(E) = E/\beta(E)$

$$\frac{\partial n(E,t)}{\partial t} = q(E,t) - \frac{n(E,t)}{T_{\rm esc}(E)} + \frac{\partial}{\partial E} \left[\beta(E) \ n(E,t) \right]$$

Source

spectrum of cosmic rays

$$T_{\rm esc}(E)$$

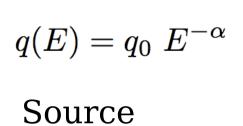
$$-\frac{dE}{dt} = \beta(E)$$

Escape time

Rate of energy Loss

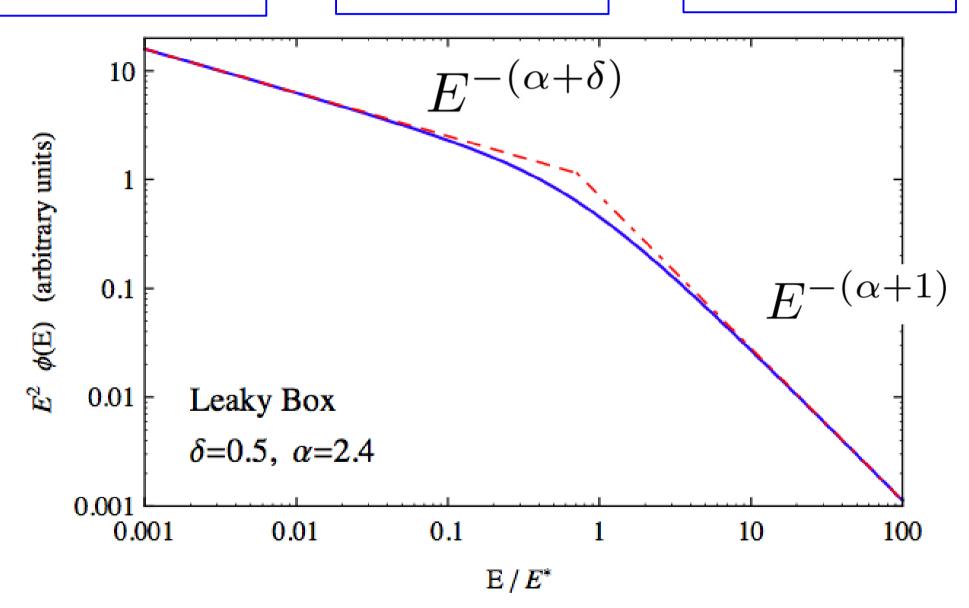
Propagation

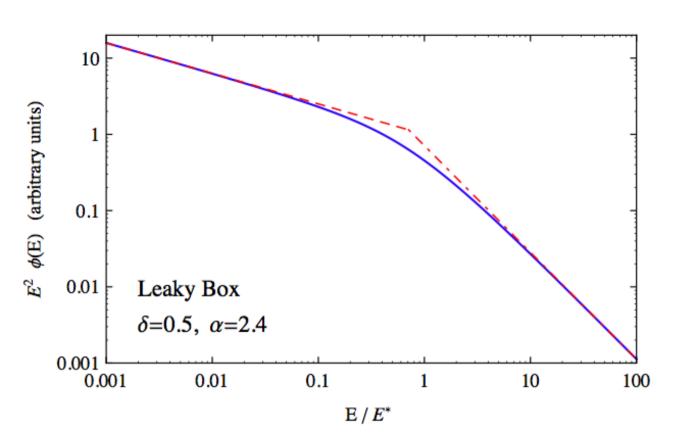
n(E,t) Observable CR density



$$T_{
m esc}(E) = T_0 \ E^{-\delta}$$
 escape

 $eta(E) = b \, E^2$ Energy loss





$$q(E) = q_0 E^{-\alpha}$$

$$T_{\rm esc}(E) = T_0 E^{-\delta}$$

$$eta(E) = b \, E^2$$

Spectral "feature"

Softening:

$$\Delta \gamma = 1 - \delta$$

$$E_b \approx E^*$$

Critical energy E^*

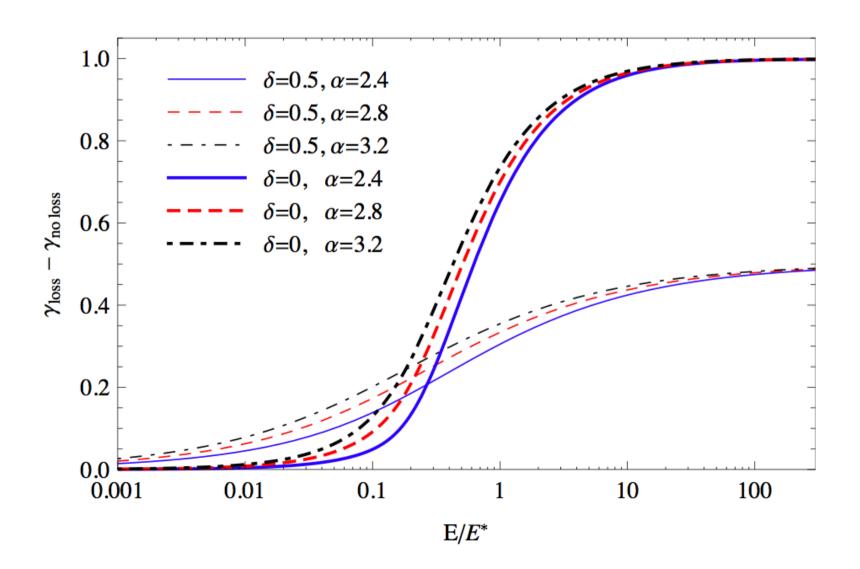
$$T_{loss}(E^*) = T_{esc}(E^*)$$
$$E^* = (T_0 b)^{1/(\delta - 1)}$$

$$E^* = (T_0 b)^{1/(\delta-1)}$$

Exact solution:

$$n(E) = q(E) \ T_{\rm esc}(E) \times \int_0^{1/a} d\tau \ (1 - a \, \tau)^{\alpha - 2} \ \exp \left[-\frac{1}{a \ (1 - \delta)} \ [1 - (1 - a \, \tau)^{1 - \delta}] \right]$$

$$a = rac{T_{
m esc}(E)}{T_{
m loss}(E)} \simeq (T_0 \, b) \, E^{1-\delta} = \left(rac{E}{E^*}
ight)^{1-\delta}$$



Idea of very general validity:

The Spectra of electrons and positrons should contain a softening "spectral feature" associated to the energy loss:

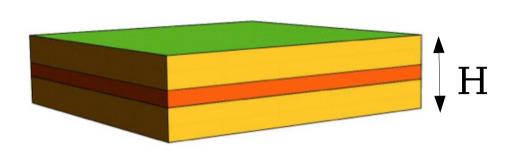
at a critical energy E*

$$T_{\rm esc}(E) \simeq \langle t_{\rm esc}(E) \rangle$$

$$T_{\rm loss}(E) \simeq \frac{E}{\langle |dE/dt| \rangle}$$

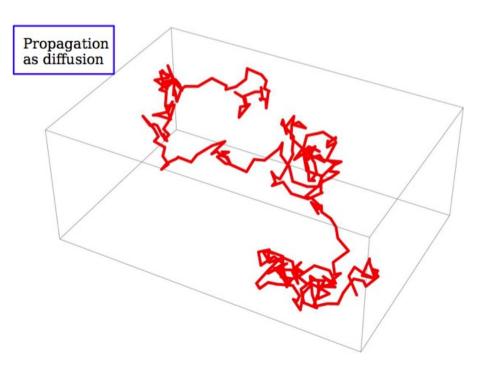
$$T_{\rm esc}(E^*) = T_{\rm loss}(E^*)$$

Diffusion Model ("minimal version")



Galaxy modeled as a homogeneous slab of a "diffusive medium" with 2 absorption surfaces

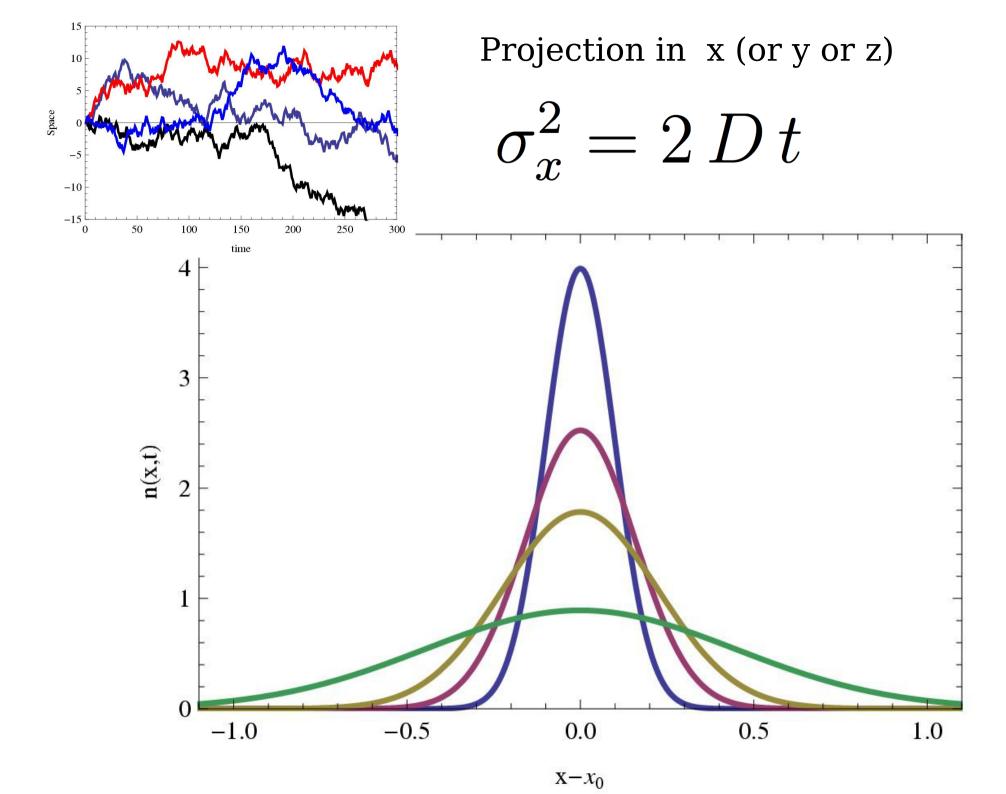
$$z = \pm H$$
 (Halo thickness)



Propagation model specified by H + 2 functions

$$D(E) = D_0 E^{\delta}$$
$$\beta(E) = b E^2$$

$$\beta(E) = b E^2$$



Average escape time for CR (no energy loss)

$$T_{\rm esc}(E) = \frac{H^2}{2D(E)} = \langle t_{\rm esc}(E) \rangle$$

$$T_{\rm esc}(E) = T_0 E^{-\delta}$$

$$D(E) = D_0 E^{\delta}$$

$T_{\rm esc}(E^*) = T_{\rm loss}(E^*)$

Critical energy

$$E^* = \left(\frac{H^2 \, b}{2 \, D_0}\right)^{1/(\delta - 1)}$$

$$q(E, \vec{x}, t) = q_0 E^{-\alpha} \delta[z]$$

Stationary emission from the Galactic plane

Exact solution:

$$n(E) = \begin{cases} \frac{q_0 H}{2 D_0} E^{-(\alpha + \delta)} \\ \frac{q_0}{\sqrt{2 D_0 b}} c(\alpha, \delta) E^{-[\alpha + (1 + \delta)/2]} \end{cases}$$

Energy losses negligible

for $E \ll E^*$

$$\frac{q_0}{\sqrt{2D_0 h}} c(\alpha, \delta) E^{-[\alpha+(1+\delta)/2]}$$

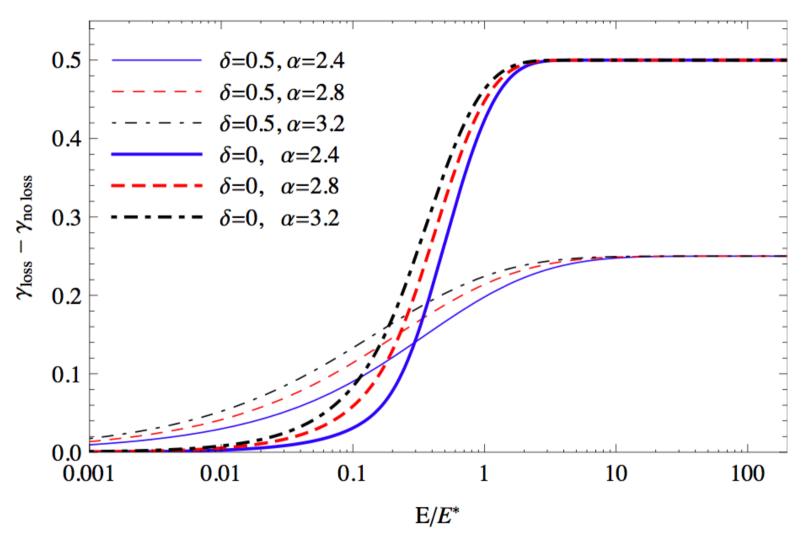
for $E \gg E^*$

Energy losses dominant

$$c(\alpha, \delta) = \sqrt{\frac{1-\delta}{2\pi}} \int_0^1 d\tau \, \frac{(1-\tau)^{\alpha-2}}{\sqrt{1-(1-\tau)^{1-\delta}}}$$

$$\Delta \gamma = rac{1-\delta}{2}$$

Imprint of the energy losses on the spectral index



$$\Delta \gamma = \frac{1 - \delta}{2}$$

$$E_b \approx E^*$$

$$E_b \simeq c(\alpha, \delta)^{2/(\delta - 1)} E^*$$

The (Model independent) point: The effects of energy loss during the propagation of electrons and positrons should leave an "imprint" on the spectra: a softening feature.

The characteristic energy of the softening has a simple physical meaning: (in good approximation) it is the energy where the Loss-Time is equal to the Escape Time (or age) of the cosmic rays.

$$T_{\text{loss}}(E^*) = T_{\text{esc}}(E^*)$$

Identification of E^* corresponds to a measurement of the CR residence time

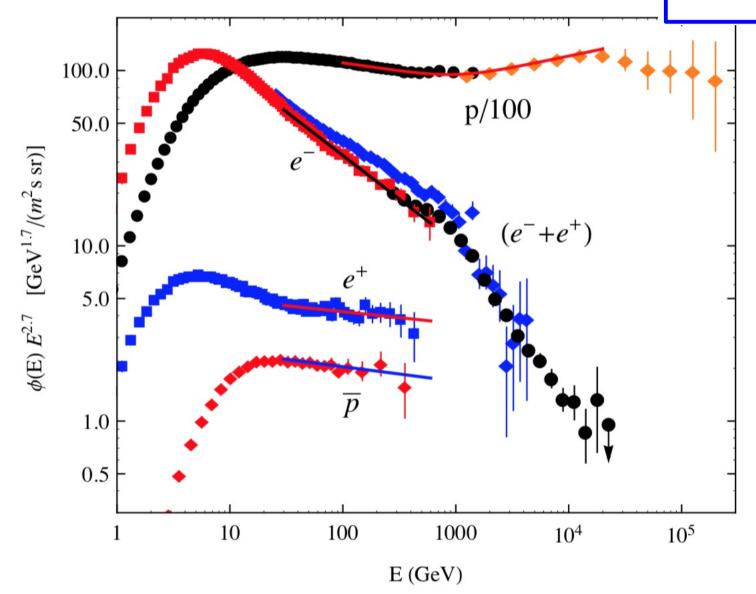
Where is the energy loss softening feature?

Use the lepton spectra as "cosmic ray clocks"

$E^* \lesssim 3 \text{ GeV}$

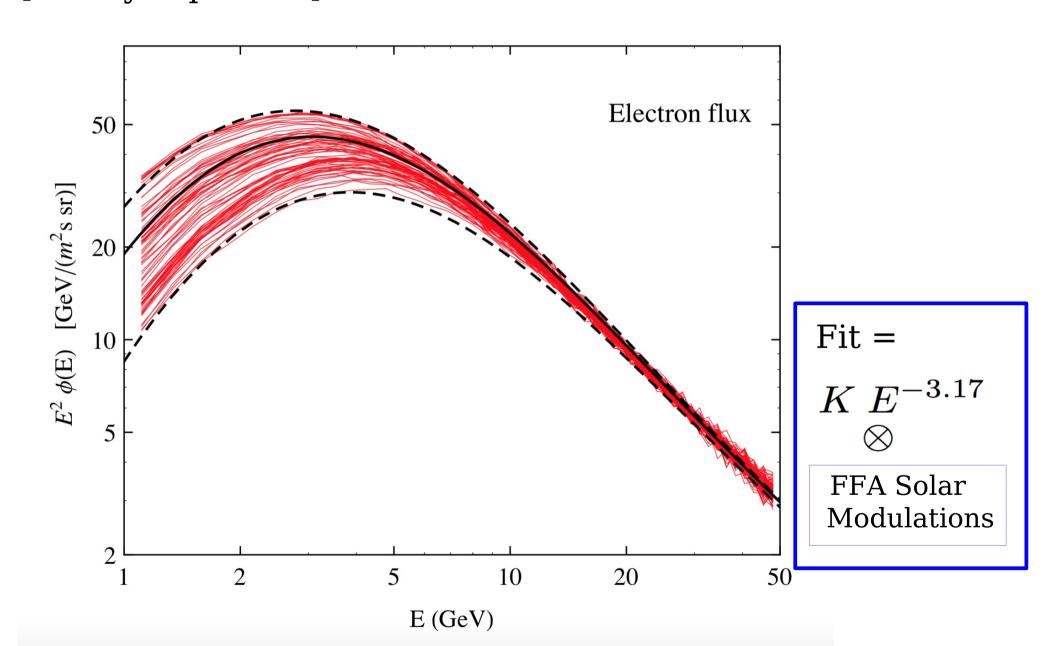
Two possibilities





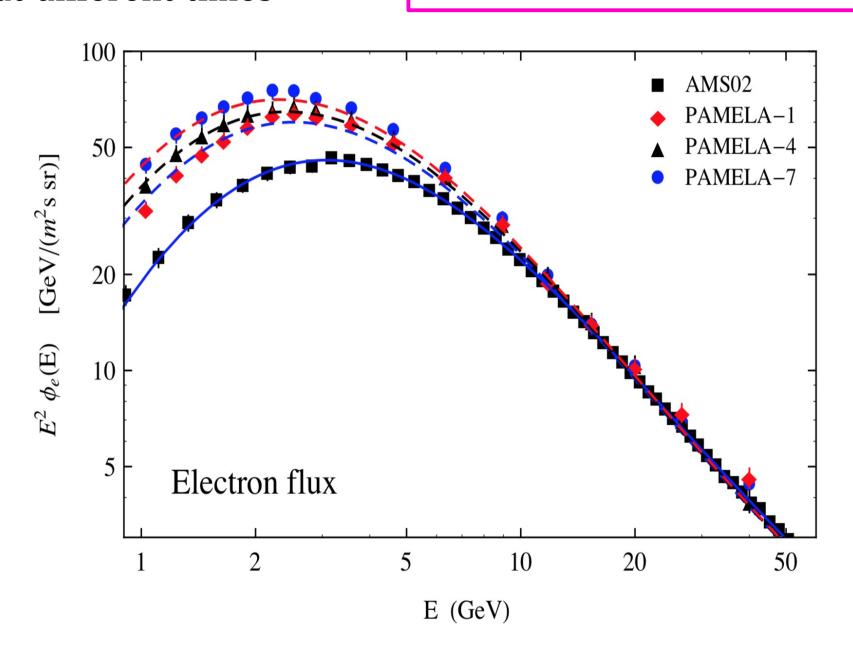
Recent AMS02 [79 spectra of e+ and e-] [27 days periods]

What is the shape of the interstellar spectrum?



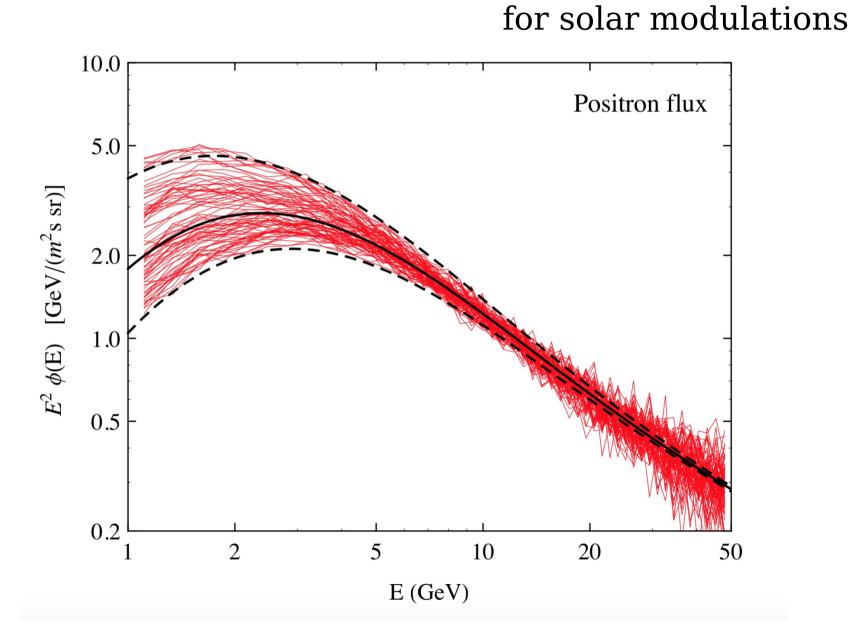
Electron spectra at different times

Solar Modulations



Positron flux

Unbroken power law in interstellar space + Force Field Approximation

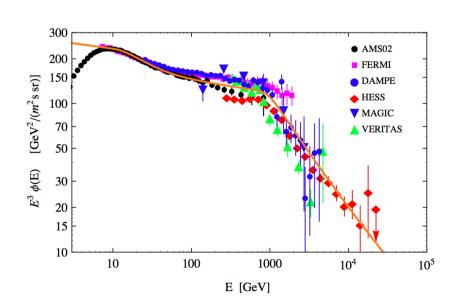


Possible (and "natural") choice: identification of the sharp softening observed by the Cherenkov telescopes in the spectrum of $(e^+ + e^-)$ as the critical energy

$$E^* = E_{\rm HESS} \simeq 900 \; {\rm GeV}$$

$$T_{\rm confinement}[E \simeq 900 \ {\rm GeV}] \simeq 0.7 \div 1.3 \ {\rm Myr}$$

Range depends on volume of confinement



Propagation of positrons and antiprotons is approximately equal for

$$E \lesssim E^* \simeq 900 \text{ GeV}$$

Imprints of the

"Granular nature" of the CR sources on the spectra of electrons

Imprints of the

"Granular nature" of the CR sources on the spectra of electrons

Prediction of large effects at sufficiently high energy

Large anisotropy

Large deviations from power law flux

$$E\gtrsim E^{\dagger}$$

"Critical energy for discrete sources effects"

How many sources contribute to the Cosmic Ray Flux?

Assumption, for primary CR (p, e⁻)

The CR sources are "events" point-like and "short-lived" (on Galactic scales) [Supernova explosions, Gamma Ray Bursts, Pulsars,]

 T_{sources}

time between events in the entire Galaxy

$$T_{\rm SNR} \approx 50 \ {\rm yr}$$

$$n_{\rm sources} \approx \frac{1}{\pi R_{\rm disk}^2} \simeq 0.0015 \text{ kpc}^{-2}$$

Number density in the disk

Assume continuous emission of protons

Space-time origin of the flux 10 (in Diffusion Model) $t/T_{
m esc}(E$ 0.1 0.01 No energy losses 0.001 Fraction flux = 0.1, 0.5, 0.9 $\frac{d\phi_p}{d\log r\ d\log t}$ 0.05 0.10 0.01 0.50 1.00 5.00 10.00

Protons (Nuclei)

Number of "source-events" that contribute to the flux

$$N_{\rm sources}^p(E) \approx \frac{n_s}{T_s} H^2 T_{\rm esc}(E)$$

All events at a distance: r < H

Age: $t < T_{\rm esc}(E)$

Numerical example: $\delta = 0.4$

$$N_{\text{sources}}(E) \simeq 240 \left[\frac{T_s}{50 \text{ yr}}\right]^{-1} \left[\frac{H}{5 \text{ kpc}}\right]^2 \left[\frac{T_{\text{diff}}(10 \text{ GeV})}{10 \text{ Myr}}\right] \left(\frac{E}{\text{PeV}}\right)^{-0.4}$$

Prediction of an *exponential cutoff* for the Electron flux above a critical energy associated to the maximum distance of propagation

Evolution of energy with time: $-\frac{dE}{dt} = b E^2$

$$E_i(E,t) = \frac{E}{1 - bEt} \qquad \begin{array}{c} \text{Initial} \\ \text{(time)} \end{array}$$

Initial energy (time t in the past)

$$t \to T_{\rm loss}(E) = \frac{1}{bE}$$

$$E_i(E,t) \to \infty$$

Maximum age for particle observed with energy E

$$t_{\max}(E) \simeq T_{\text{loss}}(E) = \frac{1}{b E}$$

Maximum distance of propagation (in the past) for a particle (e+ or e-) observed with energy E

$$\langle x^2(t,E)\rangle = 2\ D(E)\ t$$
 Constant energy

$$\langle x^2(t,E)\rangle = 2\int_0^t dt' D[E_i(E,t)]$$
 Energy loss

$$R^2_{\max}(E) = 2\int_0^{t_{\max}(E)} dt' \ D[E_i(E,t')]$$
 Maximum Propagation distance

Maximum distance

$$R_{\text{max}}^2(E) = 2 \ D(E) \ t_{\text{max}}(E) \ \frac{1}{1 - \delta}$$

Analytic solution

$$D(E) = D_0 E^{\delta}$$

$$R_{\text{max}}^2(E) = 2 \ D(E) \ T_{\text{loss}}(E) \ \frac{1}{1 - \delta}$$

$$R_{\text{max}}^2(E) = H^2 \frac{2 D(E)}{H^2} T_{\text{loss}}(E) \frac{1}{1 - \delta}$$

$$R_{\max}^{2}(E) = \frac{H^{2}}{1 - \delta} \frac{T_{\text{loss}}(E)}{T_{\text{esc}}(E)}$$

$$= \frac{H^2}{1-\delta} \left(\frac{E}{E^*}\right)^{-(1-\delta)}$$

$$H = 3 \text{ kpc}$$
 $\delta = 0.4$

$$R_{\max}(E) = \frac{H}{\sqrt{1-\delta}} \left(\frac{E}{E^*}\right)^{-(1-\delta)/2}$$

$$E^* = 3 \text{ GeV}$$

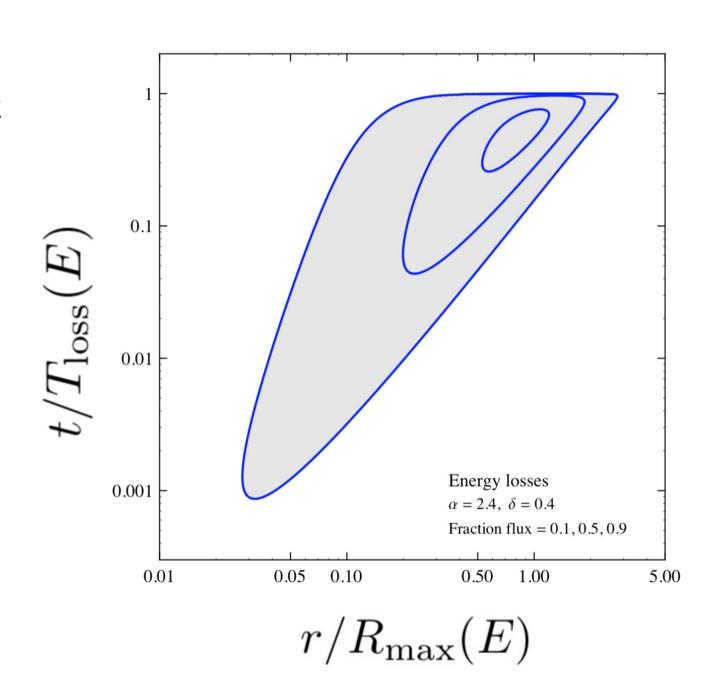
$$E=3~{\rm GeV}$$
 $R_{\rm max}(E)=0.67~{\rm kpc}~\left(rac{E}{{
m TeV}}
ight)^{-0.3}$

$$E^* = 940 \text{ GeV}$$

$$R_{\text{max}}(E) = 3.80 \text{ kpc} \left(\frac{E}{\text{TeV}}\right)^{-0.3}$$

Assume continuous emission of electrons

Space-time origin of the flux



$$\frac{d\phi_{e^{\mp}}}{d\log r\ d\log t}$$

Electrons

Number of "source-events" that contribute to the flux

$$N_{\text{sources}}^{e^{\mp}}(E) \approx \frac{n_s}{T_s} R_{\text{max}}^2(E) T_{\text{loss}}(E)$$

All events at a distance: r < H

Age: $t < T_{\rm esc}(E)$

Numerical example: $\delta = 0.4$

$$N_{\text{sources}}^{e^{\mp}}(E) \simeq 8.5 \left[\frac{T_s}{50 \text{ yr}}\right]^{-1} \left[\frac{H}{3 \text{ kpc}}\right]^2 \left[\frac{E^*}{3 \text{ GeV}}\right]^{0.6} \left(\frac{E}{\text{TeV}}\right)^{-1.6}$$

"Stochastic effects critical Energy": "One single source"

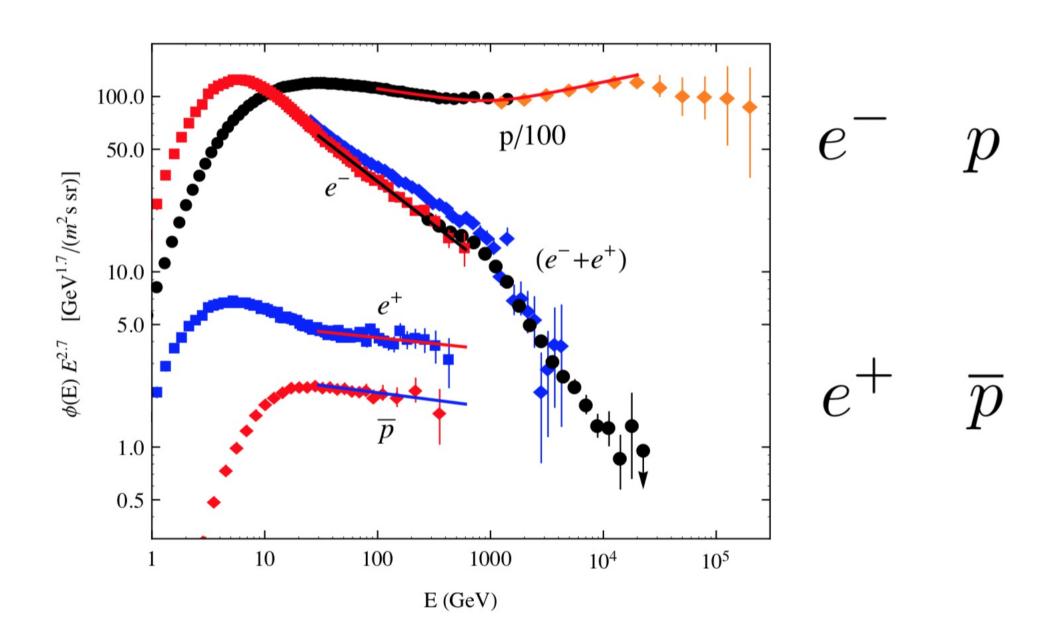
[Brightest source contributes (on average) ½ the expected flux for a continuous source distribution]

$$E^{\dagger} \simeq 1.1 \left[\frac{T_s}{50 \text{ yr}} \right]^{-0.625} \left[\frac{H}{3 \text{ kpc}} \right]^{1.25} \left[\frac{E^*}{3 \text{ GeV}} \right]^{0.375} \text{ TeV}$$

If the critical energy is low (GeV Range) Expect to see the effects of granularity at TeV energy

If the critical energy is high (1 TeV) expect to see the effects of granularity at 15-20 TeV

Profound astrophysical implications of the cosmic ray residence time.



"Conventional mechanism" for the production of positrons and antiprotons:

Creation of secondaries in the inelastic hadronic interactions of cosmic rays in the interstellar medium

$$pp \to \overline{p} + \dots$$

$$pp \to \pi^{+} + \dots$$

$$\downarrow \mu^{+} + \nu_{\mu}$$

$$\downarrow e^{+} + \nu_{e} + \overline{\nu}_{\mu}$$

$$pp \to \pi^{\circ} + \dots$$

$$\downarrow \qquad \qquad \downarrow \qquad \qquad \gamma + \gamma$$

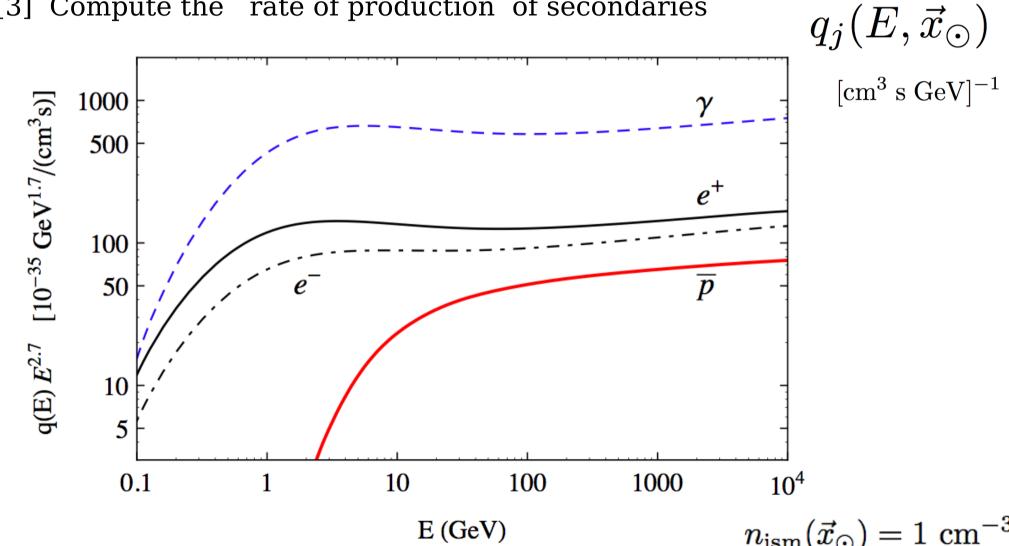
"Standard mechanism" for the generation of positrons and anti-protons

Dominant mechanism for the generation of high energy gamma rays

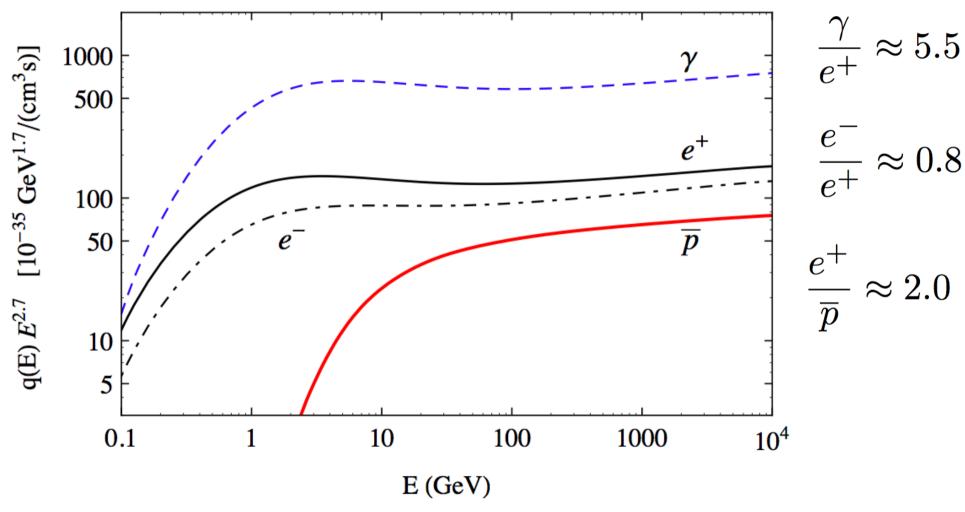
intimately connected

Straightforward [hadronic physics] exercise:

- Take spectra of cosmic rays (protons + nuclei) observed at the Earth
- Make them interact in the local interstellar medium (pp, p-He, He-p,...)
- [3] Compute the rate of production of secondaries

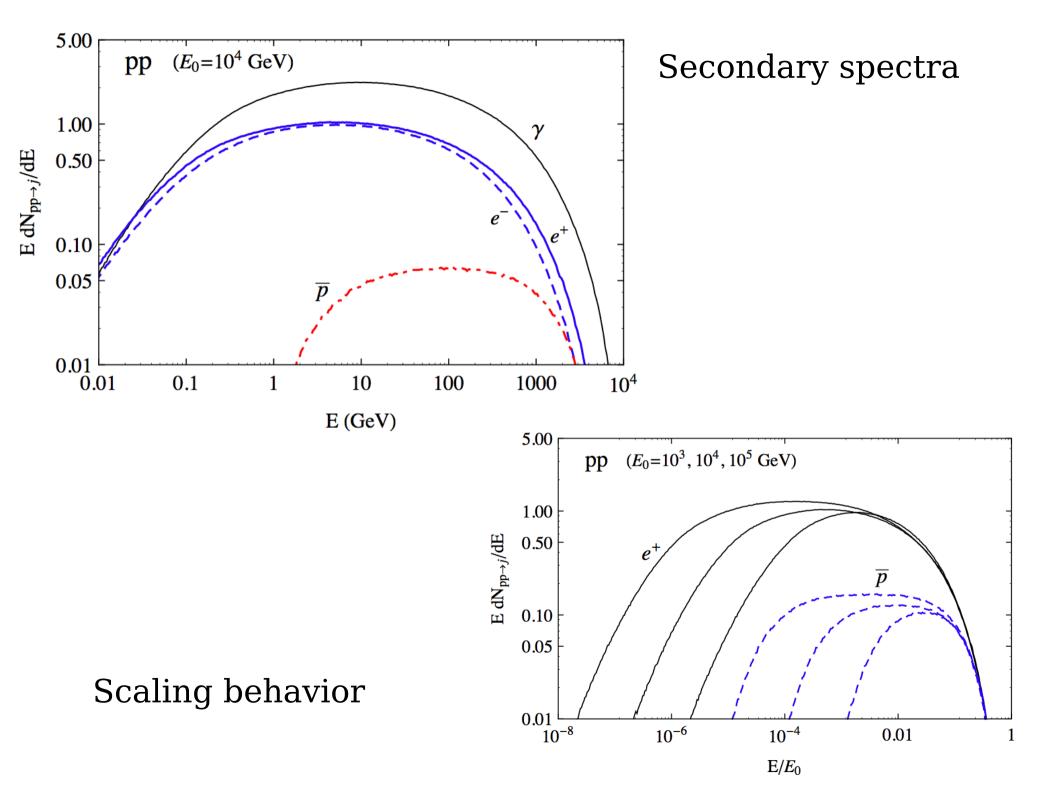


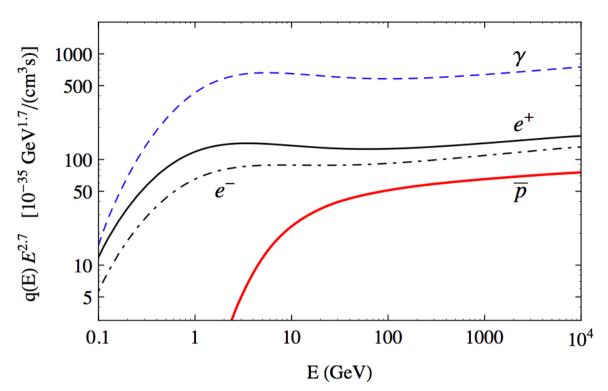
"Local" Rate of production of secondaries



Different low energy behaviors (low energy antiproton production suppressed)

Power Law behavior at high energy



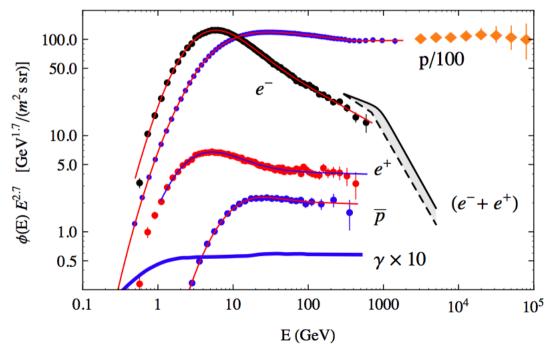


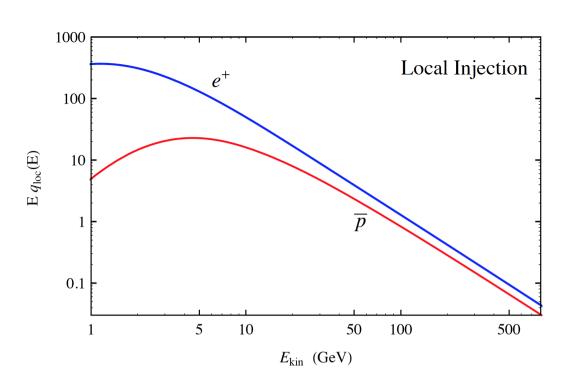
Local production rates of secondaries

$$e^+$$
 \overline{p}

"striking" similarity

Observed fluxes

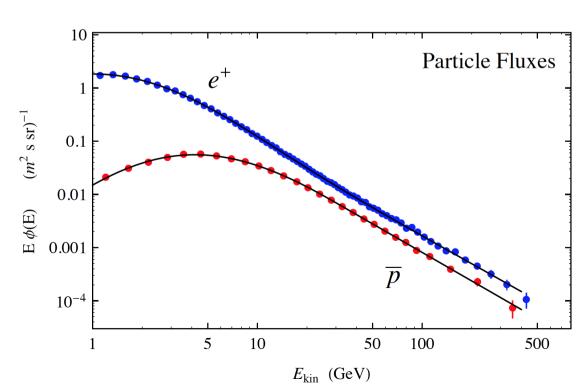




Local production rates of secondaries

"striking" similarity

Observed fluxes



$$\frac{\phi_{e^+}(E)}{\phi_{\overline{p}}(E)} \approx \frac{q_{e^+}^{\mathrm{loc}}(E)}{q_{\overline{p}}^{\mathrm{loc}}(E)}$$

The ratio positron/antiproton
Local source (secondary production)
(within systematic uncertainties)
is equal to the ratio of the observed fluxes

Does this result has a "natural explanation"?

There is a simple, natural interpretation that "leaps out of the slide":

- 1. The "standard mechanism of secondary production is the main source of the antiparticles (and of the gamma rays)
- 2. Cosmic rays in the Galaxy (that generate the antiparticles and the photons) have spectra similar to what is observed at the Earth.

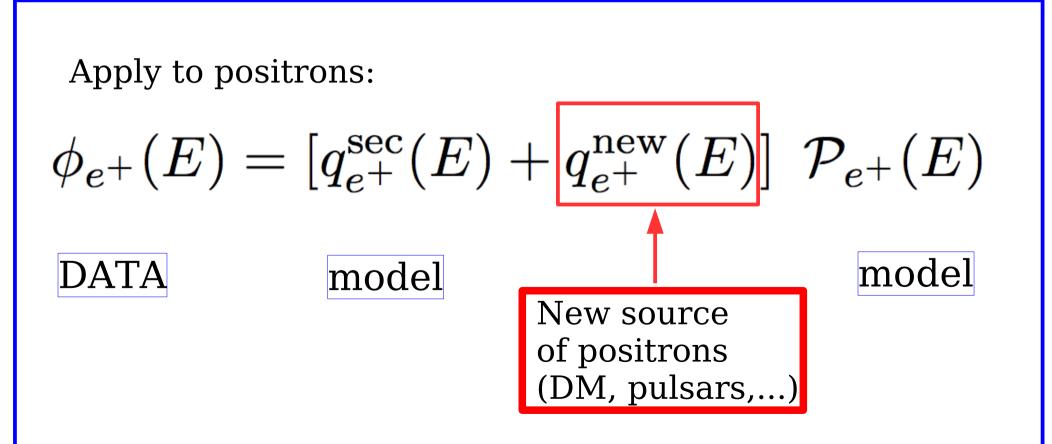
3. The Galactic propagation effects for positrons and antiprotons are approximately equal

4. The propagation effects have only a weak energy dependence.

The Logic of the discussion on the positron flux:

$$\phi_j(E) = q_j(E) \, \mathcal{P}_j(E)$$

Flux of particle type j is the source spectrum "distorted" by propagation effect.



Phenomenological observation

$$\frac{\phi_{e^{+}}(E)}{\phi_{\overline{p}}(E)} \approx \frac{q_{e^{+}}^{\rm sec}(E)}{q_{\overline{p}}^{\rm sec}(E)}$$

$$\phi_j(E) = q_j(E) \, \mathcal{P}_j(E)$$

Conventional scenario

Positrons have an "energy loss sink"

$$\mathcal{P}_{e^+}(E) < \mathcal{P}_{\overline{p}}(E)$$

Meaningless (but strange) numerical coincidence

$$[q_{e^{+}}^{\text{sec}}(E) + q_{e^{+}}^{\text{new}}(E)] \mathcal{P}_{e^{+}}(E) \approx$$

$$\approx q_{e^+}^{
m sec}(E) \, \mathcal{P}_{\overline{p}}(E)$$

"Natural" explanation

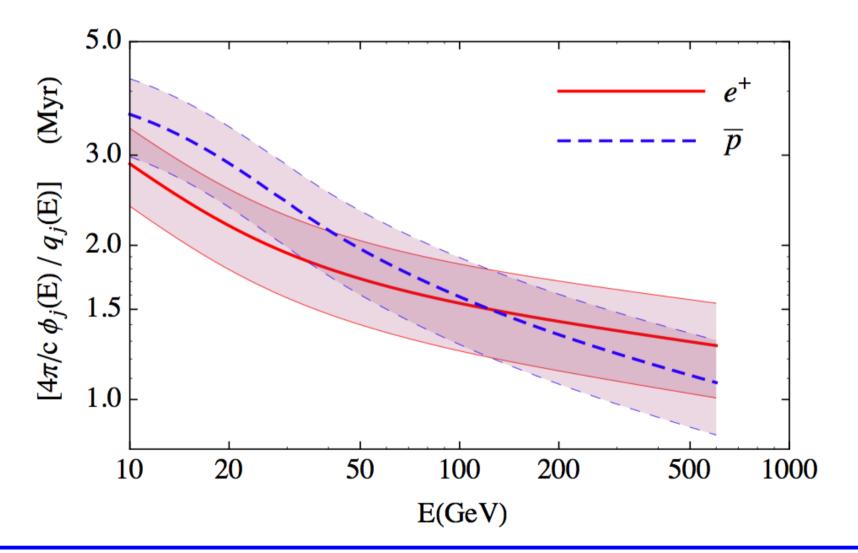
$$\mathcal{P}_{e^+}(E) \approx \mathcal{P}_{\overline{p}}(E)$$

$$q_{e^+}(E) \simeq q_{e^+}^{\rm sec}(E)$$

$$q_{\overline{p}}(E) \simeq q_{\overline{p}}^{\rm sec}(E)$$

$$\frac{\phi_{\overline{p}}(E)}{q_{\overline{p}}^{\mathrm{loc}}(E)} pprox \frac{\phi_{e^{+}}(E)}{q_{e^{+}}^{\mathrm{loc}}(E)}$$

Distortion of the source spectra created by propagation



Weak energy dependence of the propagation effects!

The observations of the anti-particle fluxes

brings us to a "Crossroad" in our studies of Cosmic Rays

electrons positrons protons antiprotons

Propagation properties in the Milky Way

[A] "Conventional Scenario"

Different propagation properties for

$$E \gtrsim 3 \text{ GeV}$$

[B] "Alternative Scenario"

Equal propagation properties for

$$E \lesssim 900 \text{ GeV}$$

Conventional propagation scenario:

- A1. Very long lifetime for cosmic rays
- A2. Difference between electron and proton spectra shaped by propagation effects
- A3. New hard source of positrons is required
- A4. Secondary nuclei generated in interstellar space

Alternative propagation scenario:

- B1. Short lifetime for cosmic rays
- B2. Difference between electron and proton spectra generated in the accelerators
- B3. antiprotons and positrons of secondary origin
- B4. Most secondary nuclei generated in/close to accelerators

How can one discriminate between the two scenarios?

- 1. Extend measurements of e+- spectra

 Different cutoffs can confirm the conventional picture
- 2. More precise measuremens of (e+ + e-) spectra in the multi-TeV range
- 3. Extend measurements of secondary nuclei [B, Be, Li]. Look for signatures of nuclear fragmentation inside/near the accelerators.
- 4. Study the space and energy distributions of the relativistic e+- in the Milky Way [from the analysis of diffuse Galactic gamma ray flux]
- 5. Develop an understanding of the CR sources Study the populations of e- and p in young SNR (assuming that they are the main sources of CR)

Conclusions:

An understanding of the origin of the positron and antiproton fluxes is of central importance for High Energy Astrophysics.

This problem touches the "cornerstones" of the field and it has profound and broad implications

Discovery of Dark Matter !!?

Possible antiparticle accelerators

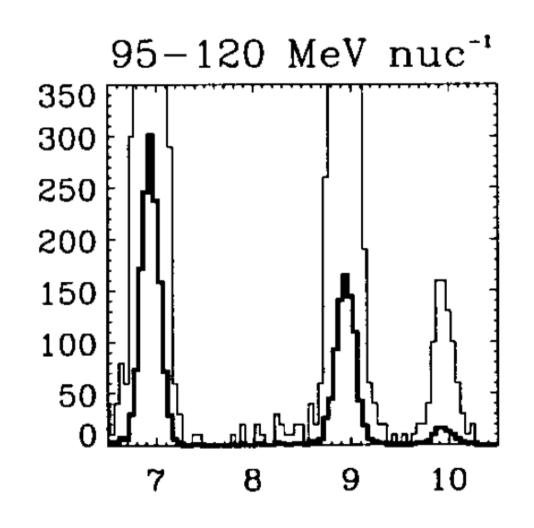
Spectra (e and p) released by CR accelerators,

Fundamental properties of CR Galactic propagation

Crucial crossroad for the field.



Direct measurement of the cosmic ray "age" unstable isotope Beryllium-10. ($T_{1/2} \simeq 1.51 \pm 0.04$ Myr)



N.E. Yanasak et al. Astrophys. J. 563, 768 (2001).

Measurements of Beryllium 10

Compare with flux of stable isotopes

Decay suppression: infer residence time

$$\langle P_{\rm surv} \rangle = 0.12 \pm 0.01$$

Estimate of suppression in original paper

Extracting

$$\langle t_{\rm age} \rangle$$

 $\langle P_{
m surv}
angle$

is in general *model dependent* [depends on the distribution of the age]

Single age for CR:

$$\langle P_{\rm surv} \rangle = e^{-t/\tau}$$

Distribution of ages

$$\langle P_{\text{surv}} \rangle = \int_0^\infty dt \, F(t, \langle t \rangle) \, e^{-t/\tau}$$

$$\langle P_{\rm surv} \rangle = 0.12 \pm 0.01$$

N.E. Yanasak et al.

Astrophys. J. 563, 768 (2001).

$$E_0 = 70-145 \text{ MeV/nucleon}$$

$$\langle t_{\rm age} \rangle \simeq 15.0 \pm 1.6 \; {\rm Myr}$$

[Leaky Box framework]

Result reinterpreted with longer lifetimes in different frameworks

M. Kruskal, S. P. Ahlen and G. Tarlé,

Astrophys. J. 818, no. 1, 70 (2016)

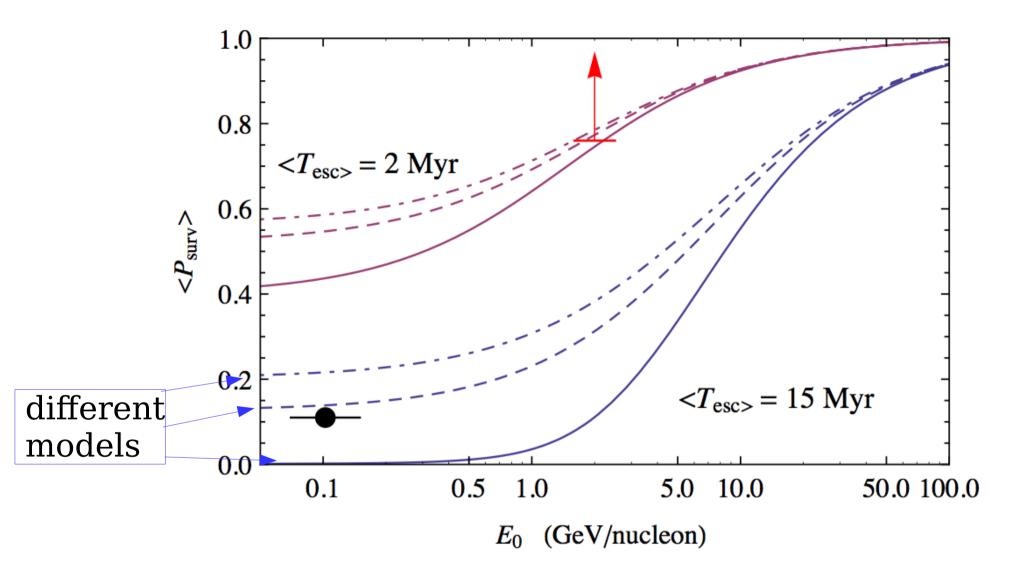
$$E_0 = 2 \text{ GeV/nucleon}$$

very important to confirm!

$$\langle P_{\rm surv} \rangle \approx 1$$

$$\langle t_{\rm age} \rangle \le 2.0 \ {\rm Myr}$$

Much smaller sensitivity to the modeling "theory"



N.E. Yanasak et al.

Astrophys. J. **563**, 768 (2001).

M. Kruskal, S. P. Ahlen and G. Tarlé, Astrophys. J. **818**, no. 1, 70 (2016)

Proton versus electron

Acceleration in sources

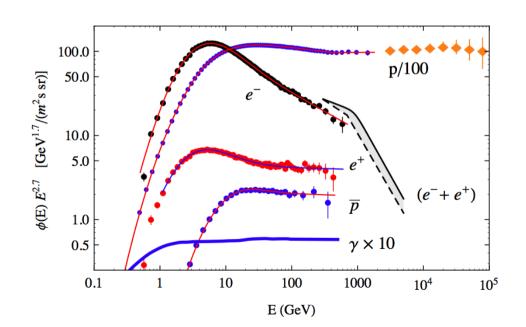
Cosmic Ray generation

Problem of central importance in High Energy Astrophysics

If: positrons and antiprotons have equal propagation properties.

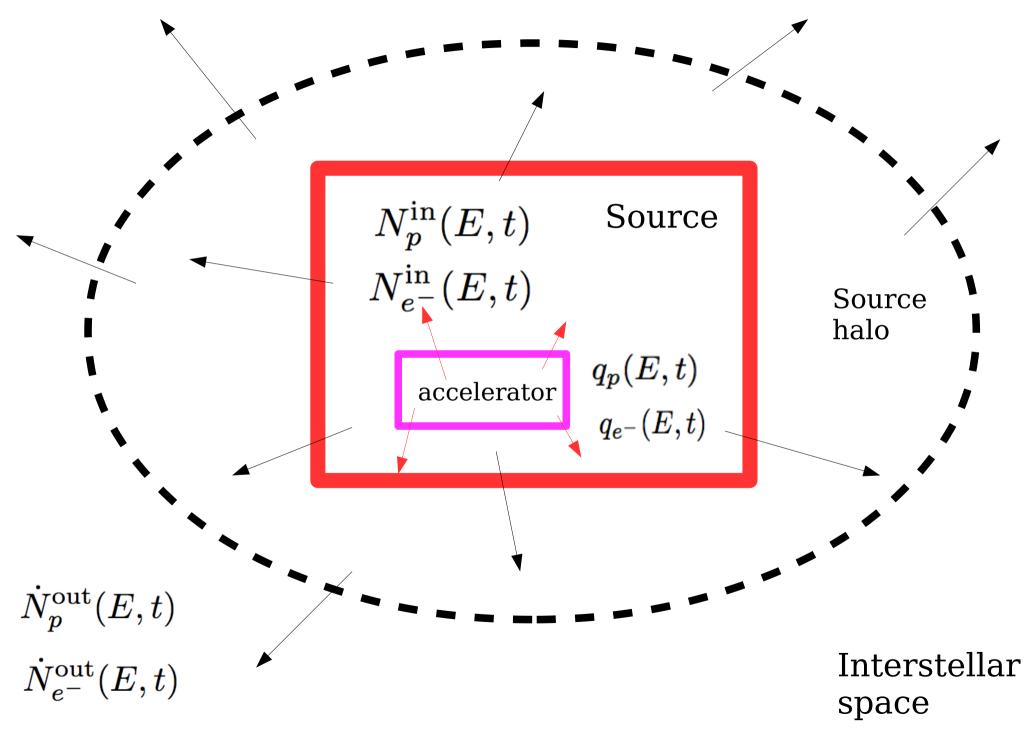
Then: also electron and protons have also the same propagation properties

But then: why are the electron the proton spectra so different from each other ?!



The **e/p** difference must be generated by the sources

Scheme of a source



Primary Cosmic Rays:

understand the Accelerators

Nearly certainly the accelerators are transients

A single accelerator

$$t_i$$
 (Accelerator is born)

$$t_i + T$$
 (Accelerator "disappears")

Integrating over its entire lifetime, the Accelerator "releases" in interstellar space populations of relativistic Particles.

$$N_p^{\text{out}}(E)$$
 , $N_{e^-}^{\text{out}}(E)$, $N_{\text{He}}^{\text{out}}(E)$,

During its lifetime, $t_i < t < t_i + T$

the accelerator is a gamma ray and neutrino emitter

$$q_{\gamma}(E,t) \quad q_{\nu}(E,t)$$

Infer the populations of relativistic particles inside (or near) the accelerators:

$$N_p^{\rm in}(E,t)$$
 $N_{e^-}^{\rm in}(E,t)$

Far from trivial to relate this information to the CR spectra released in interstellar space

$$N_p^{\text{out}}(E)$$
 , $N_{e^-}^{\text{out}}(E)$

"Secondary Nuclei"

Li, Be, B

Rare nuclei created in the fragmentation of primary (directly accelerated) more massive nuclei

Some examples:

$$^{12}C + p \rightarrow ^{10}B + 2p + n$$

$$^{12}C + p \rightarrow ^{11}B + 2p$$

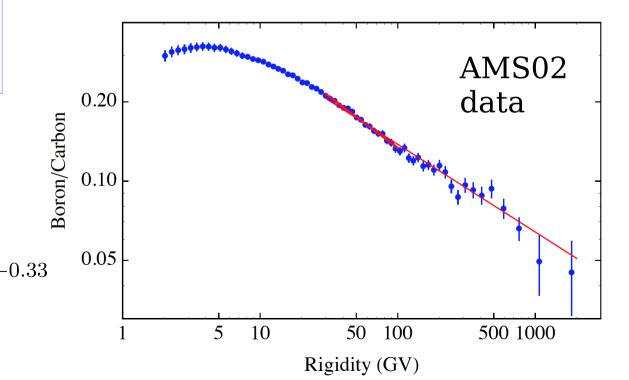
$$^{16}\text{O} + p \rightarrow ^{11}\text{B} + ^{4}\text{He} + 2p$$

• • • • • • • • • • • •

 $\frac{\text{secondary nuclei}}{\text{primary nuclei}}$

 \Longrightarrow

"grammage" traversed by the nuclei



$$\frac{\rm Boron}{\rm Carbon} \approx 0.21 \ \left(\frac{p/Z}{30 \ \rm GV}\right)^{-0.33}$$

$$\frac{\text{Boron}}{\text{Carbon}} \approx 0.21 \left(\frac{p/Z}{30 \text{ GV}}\right)^{-0.33}$$

Approximation of constant fragmentation cross sections

Interpretation in terms of Column density

$$\langle X \rangle \approx 4.7 \left(\frac{p/Z}{30 \text{ GV}} \right)^{-0.33} \frac{\text{g}}{\text{cm}^2}$$

[Assuming that the column density is accumulated during propagation in interstellar space]

$$\langle T_{\rm age} \rangle \simeq 30 \text{ Myr} \left[\frac{0.1 \text{ g cm}^{-3}}{\langle n_{\rm ism} \rangle} \right] \left(\frac{|p/Z|}{30 \text{ GV}} \right)^{-0.33}$$

Residence time inferred from B/C ratio assuming that the column density crossed by the nuclei is accumulated in interstellar space

is inconsistent [as it is too long] with the hypothesis that the energy losses of e^{\pm} are negligibly small.

Possible solutions

- 1. [Energy dependence of fragmentation Cross sections]
- 2. Most of the column density inferred from the B/C ratio is integrated not in interstellar space but inside or in the envelope of the sources [Cowsik and collaborators]